

The Detection Algorithms Performance in BLAST Enhanced IEEE 802.11a WLAN Standard on Measured Channels



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**The Third IEEE Workshop on Wireless Local Area Networks, Sep. 27-28
The Boston Marriott Hotel, Newton, Massachusetts**



Outline

- ❖ Motivations
- ❖ MIMO-OFDM **HOT Topic!**
- ❖ MIMO indoor channel sounding
- ❖ BLAST-OFDM
- ❖ Numerical Results



Motivations

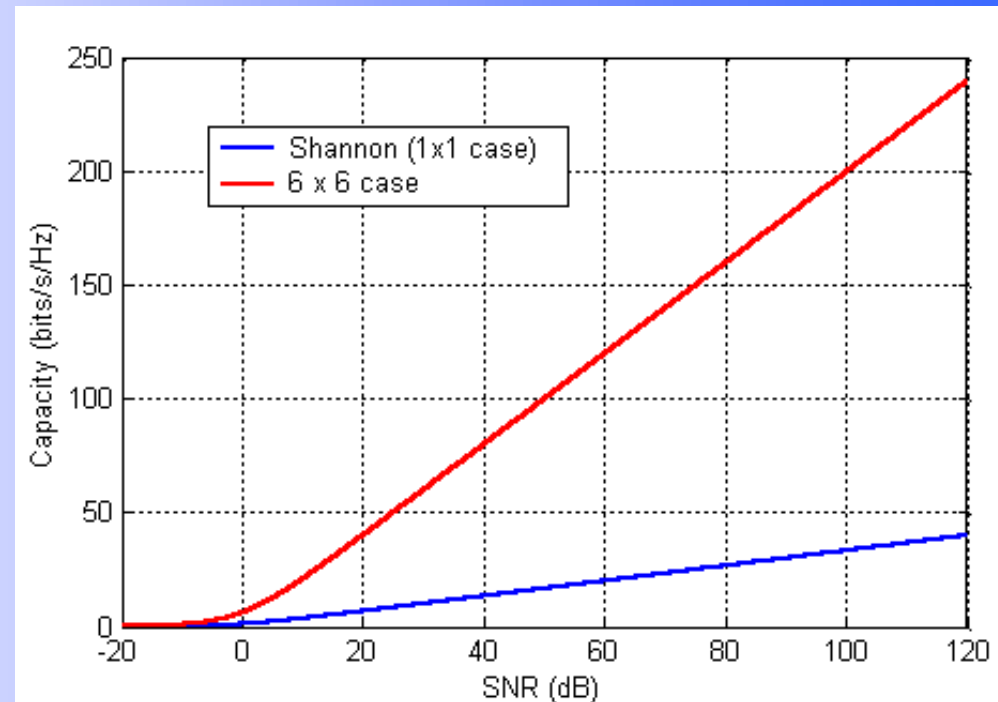
Capacity of MIMO links *(Telatar, 1995; Foschini & Gans 1998)*

Capacity of the multiplexed channels sums up:

$$C = \sum_1^N \log_2 \left(1 + \lambda_i \frac{P}{N\sigma^2} \right)$$

Hence

$$C = N \log_2 \left(1 + \frac{P}{\sigma^2} \right)$$



Capacity increases linearly with N!

e.g. 40 dB for 80 b/s/Hz !!!



MIMO Measurements – Setup

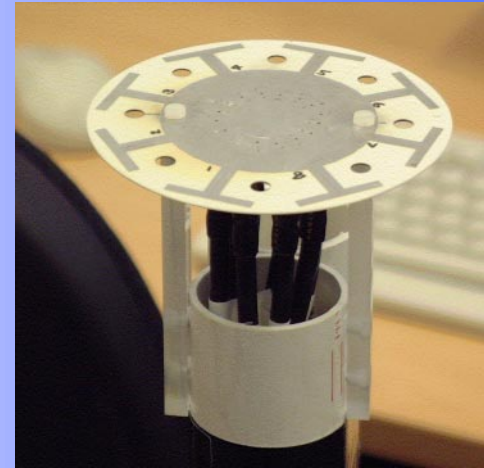
Wideband indoor MIMO measurements

- ❑ Customised Medav RUSK BRI vector channel sounder
- ❑ 5.2 GHz operating frequency
- ❑ 120 MHz bandwidth
- ❑ up to 8 Tx elements by 8 Rx elements
- ❑ complete MIMO snapshot of the channel: 102.4 μ s (well within coherence time of the channel)

Measurements were taken in large open plan office with approximate dimensions 30L x 20W x 4H (m).



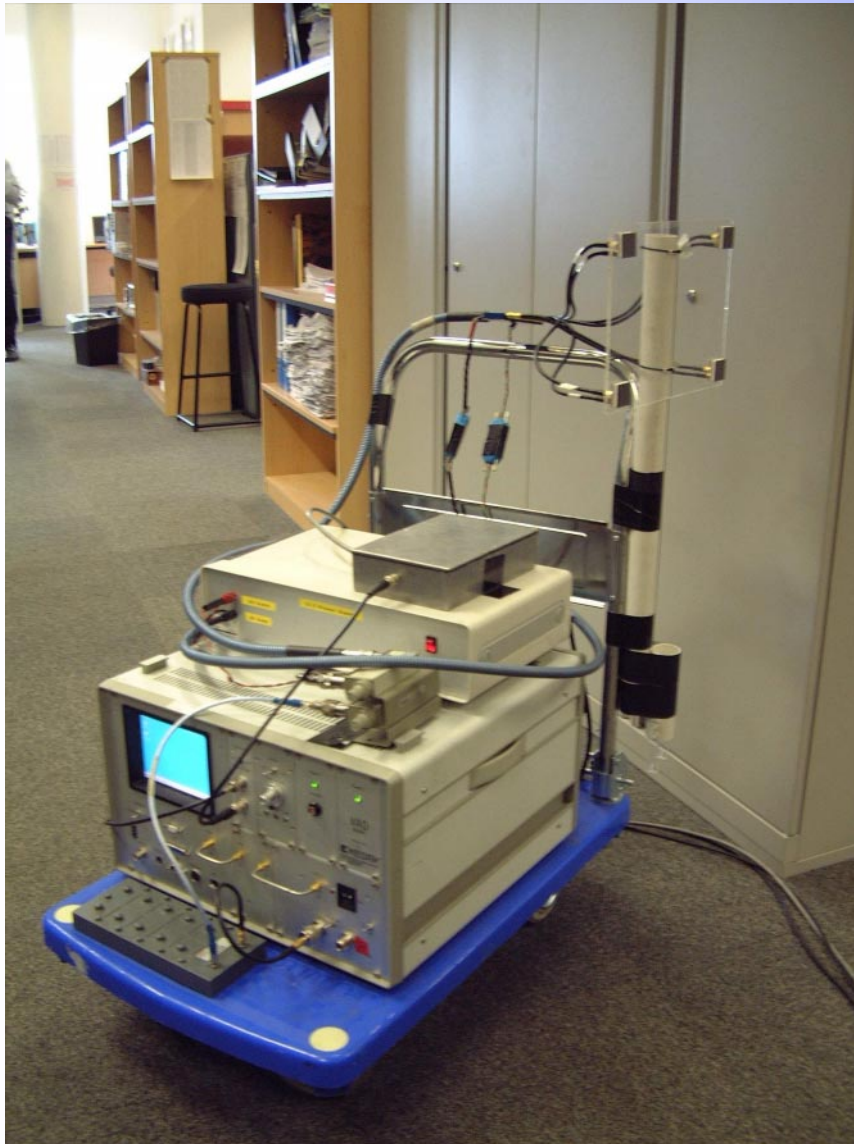
MIMO Measurements – Access Point



Circular array of printed dipoles used for the Access Point



MIMO Measurements – Mobile Terminal

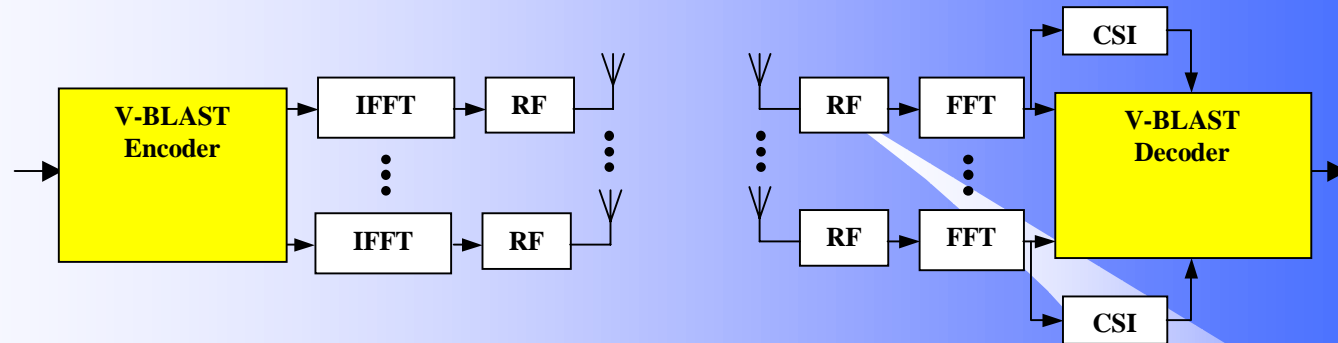


“Laptop-sized” four double polarized element antenna array used for the Mobile Terminal

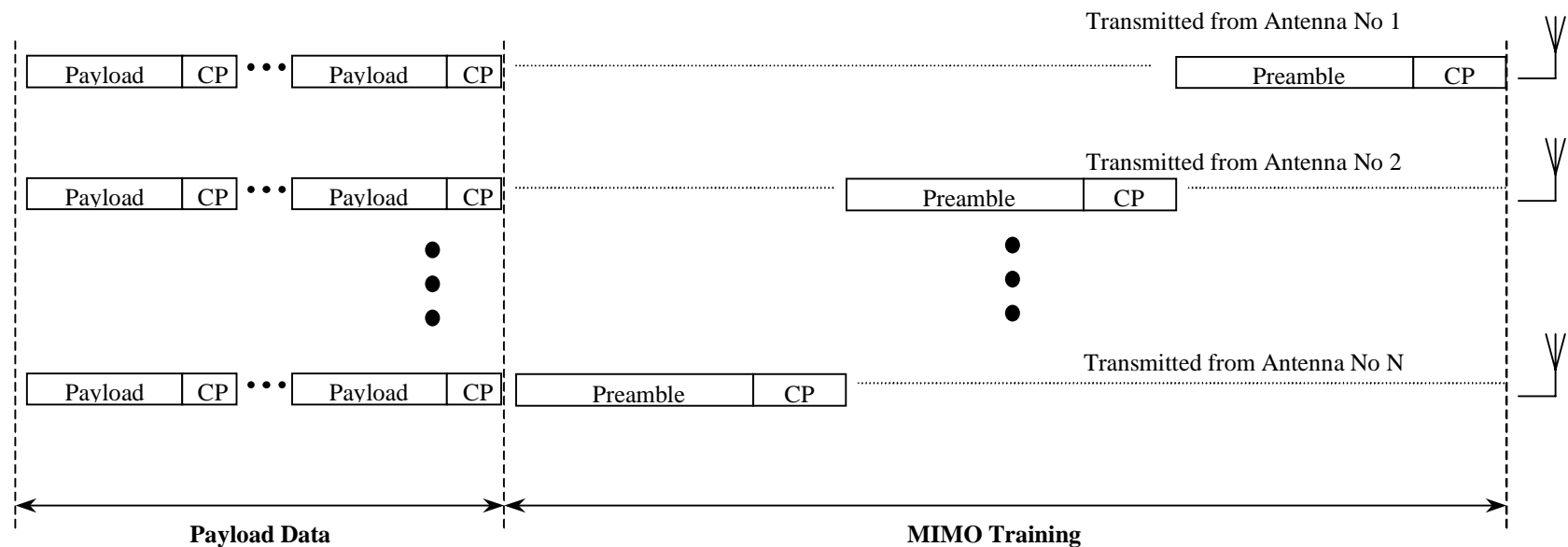


MIMO – OFDM: A General Schematic

Space-time transmission in MIMO – OFDM



System with sequential MIMO training



MIMO – OFDM: Approaches

I. Space Time Coding (Frequency-Space in OFDM)

(Tarohk, Seshadri & Calderbank 1998)

PROS

- ❖ Channel coding (error correction)
- ❖ Transmit diversity
- ❖ Modulation mapping
- ❖ Receive diversity
- ❖ All of the above optimised jointly

CONS

- ❖ No data throughput improvement
- ❖ Complexity sensitive to modulation format

Improves mainly link reliability



II. Spatial Multiplexing (BLAST)

(Foschini 1996, Paulraj & Kailath 1994)

PROS

- ❖ Directly exploits MIMO channel capacity to improve the data throughput

CONS

- ❖ poor link reliability - requires channel coding

Improves mainly data throughput



Spatial Multiplexing – BLAST OFDM

Cyclic prefix OFDM signal model (CP-OFDM)

SIMO case revisited:

i^{th} transmitted block of data

$$\bar{\mathbf{u}}_i = \mathbf{T}_{cp} \mathbf{F}^{-1} \mathbf{u}_i$$

\mathbf{T}_{cp} - CP insertion matrix ($P \times K$)

\mathbf{F} - Fourier transform matrix ($K \times K$)

received signal block pertaining to \mathbf{u}_i

$$\bar{\mathbf{x}}_i = \mathbf{H}_0 \bar{\mathbf{u}}_i + \mathbf{H}_1 \bar{\mathbf{u}}_{i-1} + \bar{\boldsymbol{\eta}}_i$$

$\mathbf{H}_0, \mathbf{H}_1$ - Toeplitz channel matrices

$\boldsymbol{\eta}_i$ - the ubiquitous additive noise vector

input-output relationship

$$\mathbf{x}_i = \mathbf{F} \mathbf{T}_R \mathbf{H}_0 \mathbf{T}_{cp} \mathbf{F}^{-1} \mathbf{u}_i + \mathbf{F} \boldsymbol{\eta}_i$$

\mathbf{T}_R - CP remove



Spatial Multiplexing – BLAST OFDM

$\mathbf{T}_R \mathbf{H}_0 \mathbf{T}_{cp}$ is circulant, and thus is diagonalised by \mathbf{F}

$$\mathbf{F} \mathbf{T}_R \mathbf{H}_0 \mathbf{T}_{cp} \mathbf{F}^{-1} = \tilde{\mathbf{H}} = \begin{bmatrix} h(\omega^0) & 0 & 0 & \cdots & 0 \\ 0 & h(\omega^1) & 0 & \cdots & 0 \\ 0 & 0 & h(\omega^2) & \cdots & 0 \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & 0 & \cdots & h(\omega^{K-1}) \end{bmatrix}$$

Finally, the CP-OFDM SIMO case is given

$$\mathbf{x}_i = \tilde{\mathbf{H}} \mathbf{u}_i + \tilde{\mathbf{n}}_i$$



Spatial Multiplexing – BLAST OFDM

Extension to MIMO CP-OFDM configuration with N transmit and M received antennas

Define:

$$\boldsymbol{\mu}_i = \left[\tilde{\mathbf{u}}_i^{(1)T} \quad \tilde{\mathbf{u}}_i^{(2)T} \quad \dots \quad \tilde{\mathbf{u}}_i^{(N-1)T} \quad \tilde{\mathbf{u}}_i^{(N)T} \right]^T$$

N stacked \mathbf{u}_i vectors ($K*N \times 1$) – transmitted signal (Frequency - Space)

$$\boldsymbol{\chi}_i = \left[\tilde{\mathbf{x}}_i^{(1)T} \quad \tilde{\mathbf{x}}_i^{(2)T} \quad \dots \quad \tilde{\mathbf{x}}_i^{(M-1)T} \quad \tilde{\mathbf{x}}_i^{(M)T} \right]^T$$

stacked vector of the received data ($K*M \times 1$)

$$\mathbf{H} = \begin{bmatrix} \tilde{\mathbf{H}}_{1,1} & \tilde{\mathbf{H}}_{1,2} & \dots & \tilde{\mathbf{H}}_{1,N} \\ \tilde{\mathbf{H}}_{2,1} & \tilde{\mathbf{H}}_{2,2} & \dots & \tilde{\mathbf{H}}_{2,N} \\ \vdots & \vdots & \ddots & \vdots \\ \tilde{\mathbf{H}}_{M,1} & \tilde{\mathbf{H}}_{M,2} & \dots & \tilde{\mathbf{H}}_{M,N} \end{bmatrix}$$

the overall channel matrix

Fundamental model:

$$\boldsymbol{\chi}_i = \mathbf{H} \boldsymbol{\mu}_i + \boldsymbol{\eta}'_i$$



Spatial Multiplexing – BLAST OFDM

The Maximum Likelihood (ML) detector of V-Blast CP-OFDM

$$\mathbf{v}_i = \arg \min_{\mathbf{v}_i} \left\{ \left| \boldsymbol{\chi}_i - \mathbf{H} \mathbf{v}_i \right|^2 \right\}$$

Since \mathbf{H} is built up of diagonal matrices, it is possible to separate the above problem into K independent but lower dimensional linear problems (i.e. each subcarrier is treated separately)

Define: $\tilde{\mathbf{x}}_k = \mathbf{C}_k^{(M)T} \boldsymbol{\chi}_i$ and $\tilde{\mathbf{H}}_k = \mathbf{C}_k^{(M)T} \mathbf{H} \mathbf{C}_k^{(N)}$

\mathbf{C}_k – compaction matrices
(subcarrier separation)

Finally ML V-BLAST:

$$\tilde{\mathbf{v}}_{i,k} = \arg \min_{\tilde{\mathbf{v}}_{i,k}} \left\{ \left| \tilde{\mathbf{x}}_{i,k} - \tilde{\mathbf{H}}_k \tilde{\mathbf{v}}_{i,k} \right|^2 \right\}$$



Spatial Multiplexing – BLAST OFDM

Linear Detection – Zero Forcing (ZF)

$$\check{\mathbf{v}}_{i,k} = \mathbf{G}_k \check{\mathbf{x}}_{i,k}$$

$$\text{Where: } \mathbf{G}_k = \left(\check{\mathbf{H}}_k^H \check{\mathbf{H}}_k \right)^{-1} \check{\mathbf{H}}_k$$

Represents *Least Squares* solution

Ordered Successive Interference Cancellation (OSIC)

(G. Golden et al 1999)



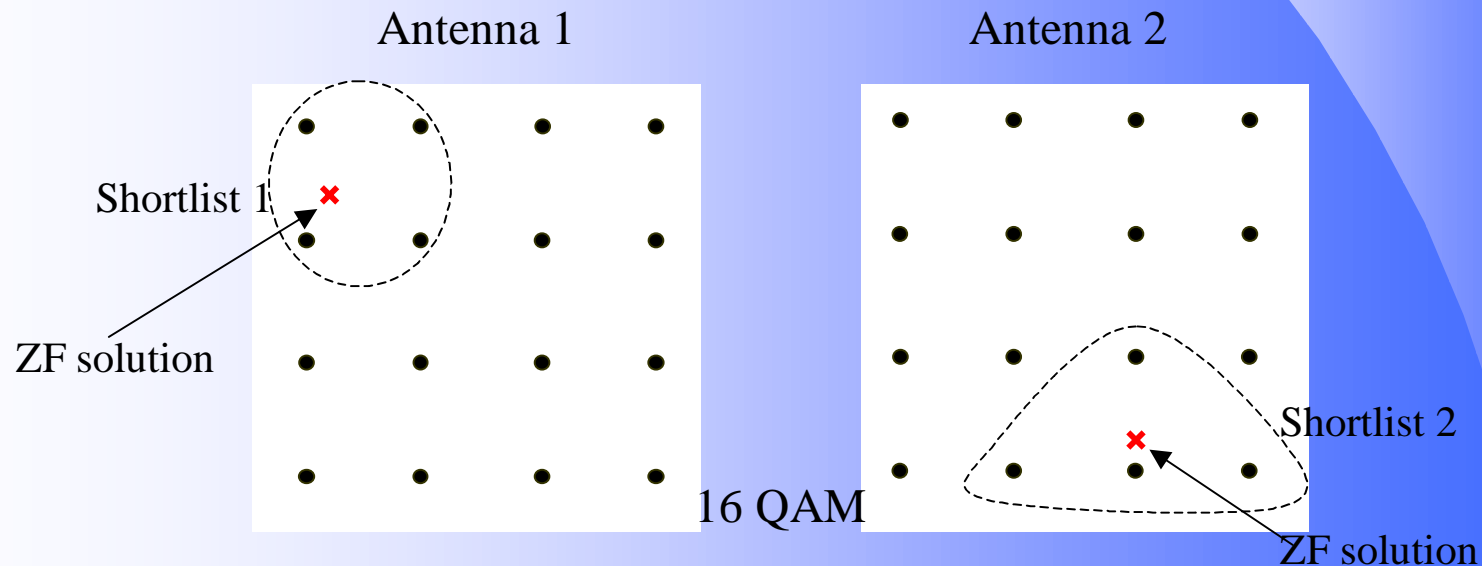
Spatial Multiplexing – BLAST OFDM

Maximum Likelihood Zero Forcing Hybrid - ZFML

(X. Li et al, 2000)

Step 1: Perform ZF and identify shortlists for each antenna

Step 2: Perform ML search on shortlists

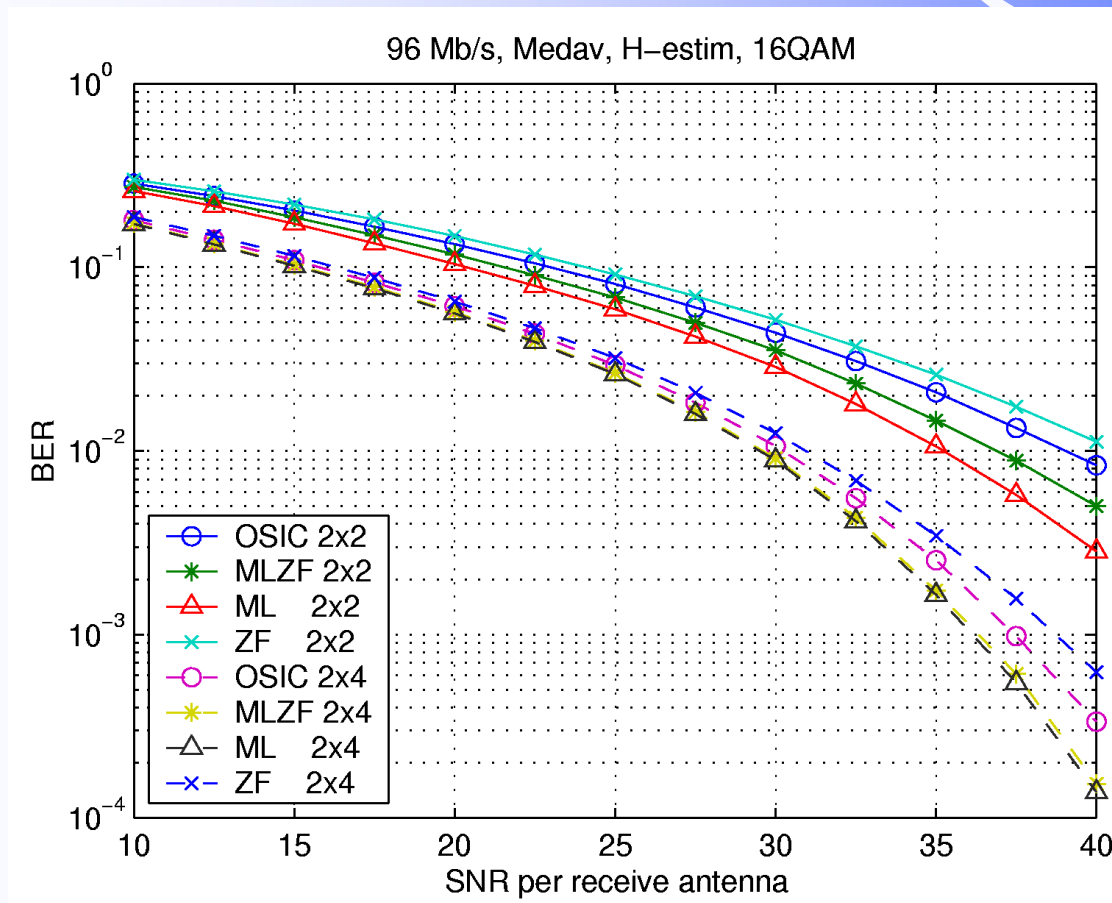


Numerical Results

(1/4)

96 Mb/s, 2 Tx by 2 & 4 Rx, 16 QAM,

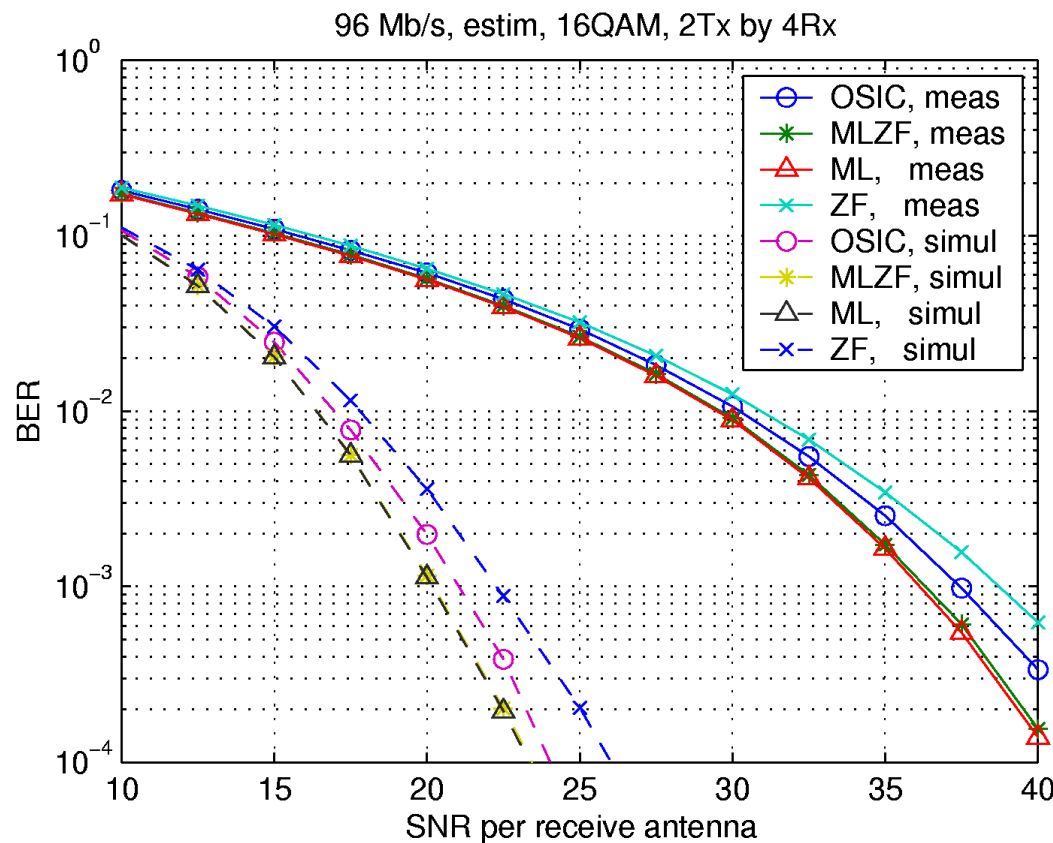
MIMO channel estimated via sequential preamble



Numerical Results

(2/4)

96 Mb/s, 2 Tx by 4 Rx, 16 QAM,



“meas” –
measured
channel

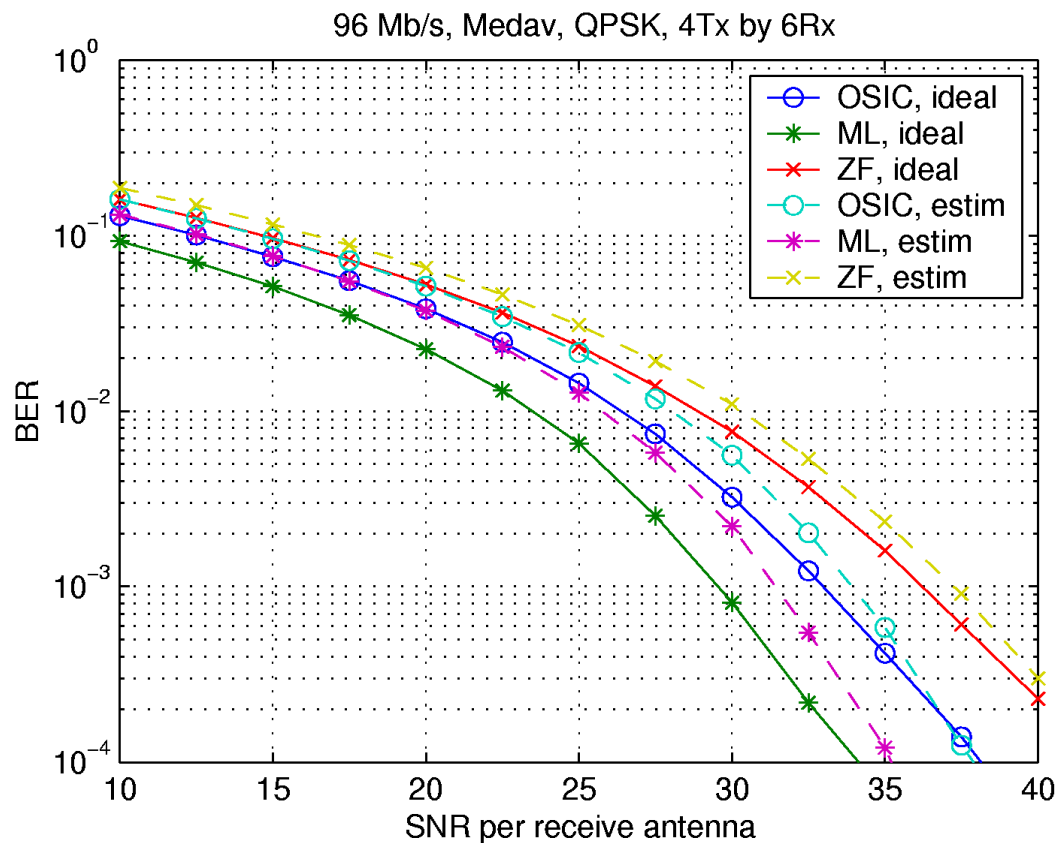
“simul” – ETSI,
H/2 Channel A,
(energy
normalised)



Numerical Results

(3/4)

96 Mb/s, 4 Tx by 6 Rx, QPSK, Measured channel



“ideal” – ideal MIMO CSI available

“estim” – MIMO CSI estimated via sequential preamble



Numerical Results

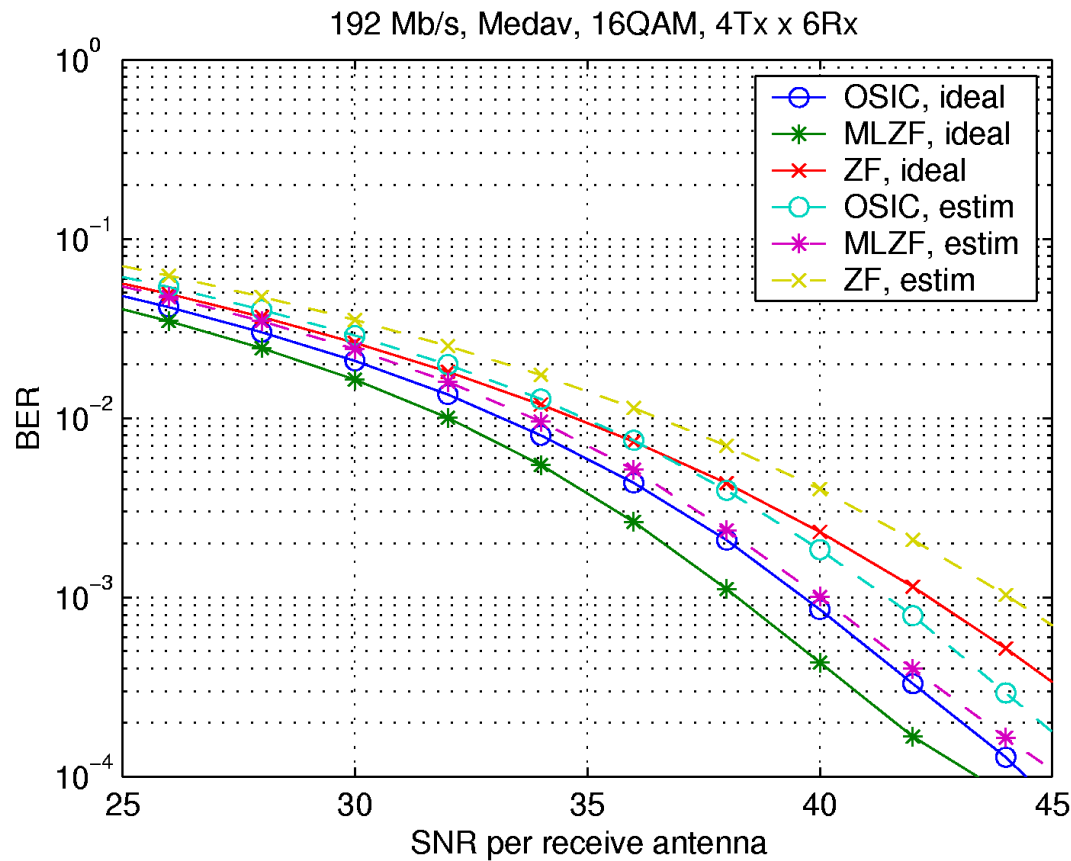
(4/4)

192 Mb/s,

4 Tx by 6 Rx,

16-QAM,

Measured channel



“ideal” – ideal MIMO CSI available

“estim” – MIMO CSI estimated via sequential preamble



Conclusions

- ❑ Possibility of 192 Mb/s (uncoded in IEEE 802.11A band) in a real setting has been demonstrated
- ❑ Difference between an ideal setting and our measured channel is 12 dB (@ BER 10^{-2} , 2x4, 16-QAM)
- ❑ Difference in the performance between the detection algorithms tightens as the number of receive antennas increases
- ❑ Future research into MIMO-OFDM:
 - ❑ Flexible blend of spatial multiplexing/frequency space coding
 - ❑ Advanced detection algorithms (Reduced complexity)
 - ❑ Antenna configurations/strategies studies

**Authors gratefully acknowledge sponsorship provided by
QinetiQ Ltd**



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